

# Characterization of the NPOD3 Detectors in MCNP5 and MCNP6

Kimberly Klain (Clark)    Jesson Hutchinson    C.J. Solomon  
Theresa Cutler    Avneet Sood

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# Abstract

Researchers performed a series of measurements in May 2012 to characterize the NPOD3 detector systems. The detectors were placed in varying states of disassembly to determine the effect of individual components on the detector response. The Los Alamos BeRP Ball was used as the SNM source in both a bare configuration and reflected by varying thicknesses of polyethylene (HDPE). A set of MCNP5 (with the list-mode patch) and MCNP6 simulations matching the experimental setups for the bare and reflected cases were run and the calculated list-mode data were compared to the measured data. The singles and doubles count rates and the leakage multiplication results show that both MCNP5 with the list-mode patch and MCNP6 adequately replicate the measurements. The advantages and limitations of each code for the use of obtaining list-mode data are explained.

# Previous work

- Previous research compared the capabilities of various versions of MCNP developed both within and outside of LANL in simulating subcritical systems
- This work showed that MCNP5 with the LANL list-mode patch was best-suited for such calculations due to its accuracy and its ease of use

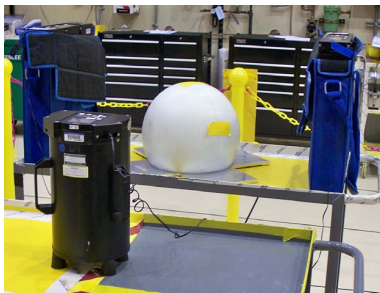
# Code comparison

- Verify the MCNP models of the detector systems
- Compare the strengths and weaknesses of the Monte Carlo N-Particle (MCNP) codes in predicting the behavior of subcritical systems

Prove that MCNP6, the production version of the MCNP code, is capable of simulating list-mode data as well as MCNP5 with the list-mode patch

# Why subcritical?

What are subcritical measurements?



Why are subcritical measurements important?

- Approach to critical
- Benchmarking
- Code validation
- Nuclear data validation
- Measurement of subcritical levels of materials
- Reactivity monitoring

# Measurements

# Experiment

A series of subcritical measurements were taken in 2012 to characterize the NPOD detector systems.

## Source:

- BeRP ball in a bare configuration and reflected by varying thicknesses of polyethylene

## Detectors:

- One SNAP detector placed 100 cm from center of source
- One NPOD in original configuration placed 50 cm from center of source
- One NPOD in original configuration and in varying states of disassembly placed 50 cm from center of source and 180 degrees from first NPOD

# Configurations

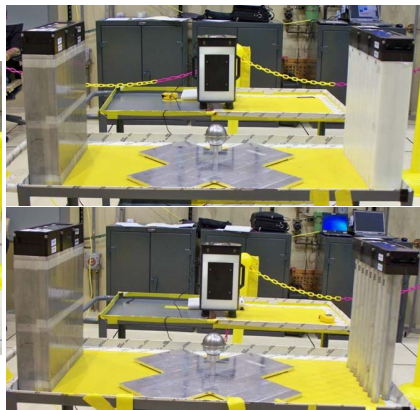
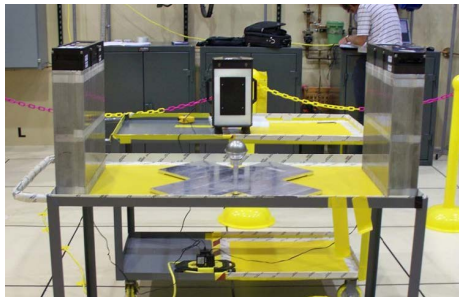
<b>Config.</b>	<b>NPOD #1</b>	<b>NPOD #2</b>
1	default	default
2	blue cover	blue cover
3	no cadmium	default
4	no cadmium or poly	default
5	removed	default
6	removed	default
7	removed	default
8	removed	default, 90 degrees
9	default, 90 degrees	default, 90 degrees



# Configurations

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9	default, 90 degrees	default, 90 degrees

# Experimental set-up



# Measurements

- **List-mode data** were acquired by the detectors
  - SNAP detector delivers a gross neutron count rate
  - NPOD detectors provide multiplicity data:

```

...
3053      8680902604.70748
3053      14254079822.86892
3060      15151819451.43296
3055      4810218246.61435
3050      2713074280.99071
3048      7022566669.45221
3058      6223236526.46893
3056      7854715137.29732
3053      1573552607.36039
...

```

- Data analysis was performed using **Feynman variance**

# Feynman variance

- Method of calculating the moments of the count distribution
  - Purely random source exhibits a Poisson distribution of counts
  - A **correlated (multiplying) source** has a distribution which **deviates from a pure Poisson**
    - The magnitude of this deviation provides insight into the multiplicity of the system

$$Y_m = \frac{\bar{C}^2}{\bar{C}} - \bar{C} - 1$$

where  $\bar{C} = \frac{\sum_n n C_n}{\sum_n C_n}$  and  $\bar{C}^2 = \frac{\sum_n n^2 C_n}{\sum_n C_n}$

# Hage-Cifarelli formalism

- Uses *reduced factorial moments* to determine singles (R1), doubles (R2) and triples (R3) counting rates

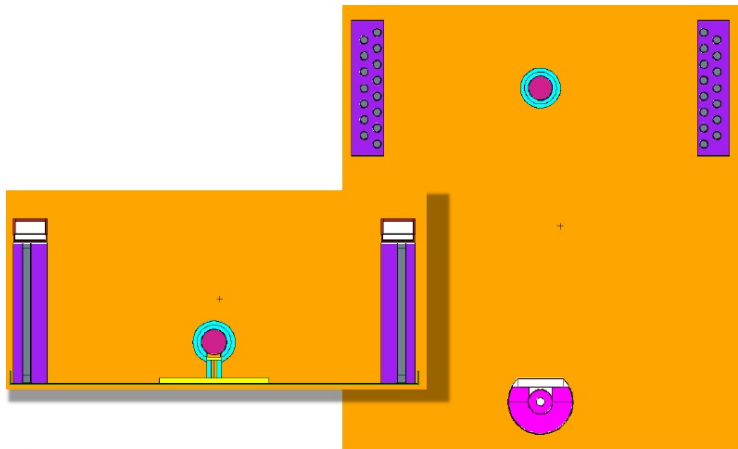
$$\bar{m}_{1!} = \frac{\sum n C_n}{1! \sum C_n} \quad \bar{m}_{2!} = \frac{\sum n(n-1) C_n}{2! \sum C_n}$$

$$\bar{m}_{3!} = \frac{\sum n(n-1)(n-2) C_n}{3! \sum C_n}$$

- R1, R2, and R3 are then used, along with several other parameters, to determine the leakage multiplication value
- These calculations are performed using Momentum

# Calculations

# MCNP model



# MC calculations

- MCNP5.15 with the list-mode patch and MCNP6.1 codes were run with ENDF/B-VII.0
- Computation times:
  - MCNP5, 16 procs
    - Bare, 300s:  $615 \text{ minutes} / 16 \text{ procs} = 40 \text{ min/proc}$
    - 3 inch HDPE, 300s:  $3600 \text{ minutes} / 16 \text{ procs} = 225 \text{ min/proc}$
  - MCNP6, 16 procs
    - Bare, 300s:  $820 \text{ minutes} / 16 \text{ procs} = 51 \text{ min/proc}$
    - 3 inch HDPE, 300s:  $3890 \text{ minutes} / 16 \text{ procs} = 243 \text{ min/proc}$



# MCNP data post-processing

- MCNP5 w/patch outputs a list-mode file that resembles the detector output
- MCNP6 outputs a binary file that must be parsed and converted to ASCII prior to analysis
- Both outputs are converted to a special format to be read by Momentum

# mcnptools

- `mcnptools` is a C++ library (extended to Python) developed to aid the user in accessing data from MCNP output files:
  - `mctal`
  - `meshtal`
  - `ptrac`

Planned for eventual distribution with MCNP6 package from  
RSICC

# Results

# Results - R1 (Singles) and R2 (Doubles)

NPOD1 config.	MEASURED			MCNP5			MCNP6			NPOD1 config.	MEASURED			MCNP5			MCNP6		
	R1	$\sigma(R1)$		R1	$\sigma(R1)$	C/E	R1	$\sigma(R1)$	C/E		R2	$\sigma(R2)$		R2	$\sigma(R2)$	C/E	R2	$\sigma(R2)$	C/E
<b>BARE BeRP</b>									<b>BARE BeRP</b>										
1	9018.48	5.65		9582.77	6.89	1.063	9530.62	6.70	1.057	1	1592.80	21.01		1823.41	24.64	1.145	1872.95	44.38	1.176
1	9030.73	5.27		9582.77	6.89	1.059	9530.62	6.70	1.053	1	1603.80	17.51		1823.41	24.64	1.137	1872.95	44.38	1.168
3	9045.88	4.68		9593.30	7.53	1.061	9687.68	6.85	1.071	3	1624.80	18.81		1908.58	22.30	1.175	1753.32	22.40	1.079
4	268.90	0.64		--	--	--	99.33	0.81	0.369	4	3.37	1.93		--	--	--	0.04	0.36	0.012
<b>0.5" HDPE REFLECTED BeRP</b>									<b>0.5" HDPE REFLECTED BeRP</b>										
1	12250.92	7.04		13083.58	9.17	1.068	13112.09	9.02	1.070	1	3671.10	27.91		4204.77	35.70	1.145	4276.36	37.39	1.165
1	12222.11	7.32		13083.58	9.17	1.070	13112.09	9.02	1.073	1	3684.80	31.07		4204.77	35.70	1.141	4276.36	37.39	1.161
3	12449.68	7.97		13312.92	9.03	1.069	13350.20	8.65	1.072	3	3711.30	31.65		4383.80	39.24	1.181	4446.63	44.32	1.198
4	682.94	1.18		573.23	1.42	0.839	575.65	1.53	0.843	4	13.04	5.20		8.84	4.90	0.678	6.14	3.74	0.471
<b>1.0" HDPE REFLECTED BeRP</b>									<b>1.0" HDPE REFLECTED BeRP</b>										
1	15805.84	9.91		17118.25	11.33	1.083	17208.00	11.65	1.089	1	7961.10	49.31		9597.47	62.02	1.206	9627.04	64.51	1.209
3	16951.94	10.95		18379.49	11.83	1.084	18427.64	12.01	1.087	3	9037.20	82.29		10975.57	92.45	1.214	10925.03	107.29	1.209
4	--	--		2721.06	3.42	--	2743.90	3.42	--	4	--	--		209.12	27.05	--	232.46	28.93	--
<b>1.5" HDPE REFLECTED BeRP</b>									<b>1.5" HDPE REFLECTED BeRP</b>										
1	18667.33	12.48		20470.70	14.86	1.097	20505.94	13.02	1.098	1	14393.00	93.69		17773.22	98.63	1.235	18067.36	111.46	1.255
1	18277.74	12.97		20470.70	14.86	1.120	20505.94	13.02	1.122	1	13760.00	218.88		17773.22	98.63	1.292	18067.36	111.46	1.313
3	21623.44	13.22		23735.00	14.49	1.098	23800.45	15.33	1.101	3	18863.00	206.05		23811.67	241.62	1.262	24044.95	287.15	1.275
4	6771.83	3.77		7123.82	6.16	1.052	7146.92	6.29	1.055	4	1778.80	113.88		2124.66	136.81	1.194	2140.61	128.11	1.203
4	6755.43	3.84		7123.82	6.16	1.055	7146.92	6.29	1.058	4	1763.90	121.74		2124.66	136.81	1.205	2140.61	128.11	1.214
<b>3.0" HDPE REFLECTED BeRP</b>									<b>3.0" HDPE REFLECTED BeRP</b>										
1	15605.71	11.58		16826.88	12.66	1.078	16870.70	12.51	1.081	1	14652.87	299.14		18342.37	333.16	1.252	18337.33	369.41	1.251
3	22432.73	14.87		24339.76	16.49	1.085	24409.68	16.57	1.088	3	30382.37	249.81		38720.67	348.13	1.274	38511.92	352.58	1.268
4	15296.51	9.88		16324.87	11.63	1.067	16394.22	12.50	1.072	4	13793.63	603.62		17480.07	641.77	1.267	17719.54	649.79	1.285

# Results - leakage multiplication

NPOD1 config.	MEASURED		MCNP5			MCNP6		
	$M_L$	$\sigma(M_L)$	$M_L$	$\sigma(M_L)$	C/E	$M_L$	$\sigma(M_L)$	C/E
<b>BARE BeRP</b>								
1	3.426	0.194	3.545	0.202	1.035	3.598	0.222	1.050
1	3.431	0.190	3.545	0.202	1.033	3.598	0.222	1.049
3	--	--	3.618	0.203	--	3.464	0.195	--
4	--	--	--	--	--	0.572	0.346	--
<b>0.5" HDPE REFLECTED BeRP</b>								
1	3.991	0.123	4.123	0.129	1.033	4.152	0.130	1.040
1	4.003	0.124	4.123	0.129	1.030	4.152	0.130	1.037
3	3.982	0.124	4.170	0.131	1.047	4.193	0.134	1.053
4	1.241	0.208	1.150	0.248	0.926	1.016	0.220	0.818
<b>1.0" HDPE REFLECTED BeRP</b>								
1	5.254	0.139	5.528	0.148	1.052	5.522	0.148	1.051
3	5.397	0.151	5.696	0.158	1.055	5.676	0.161	1.052
4	--	--	2.230	0.174	--	2.326	0.178	--
<b>1.5" HDPE REFLECTED BeRP</b>								
1	6.912	0.232	7.318	0.243	1.059	7.370	0.247	1.066
1	6.833	0.260	7.318	0.243	1.071	7.370	0.247	1.079
3	7.334	0.262	7.846	0.278	1.070	7.872	0.286	1.073
4	4.151	0.247	4.405	0.264	1.061	4.413	0.255	1.063
4	4.139	0.256	4.405	0.264	1.064	4.413	0.255	1.066
<b>3.0" HDPE REFLECTED BeRP</b>								
1	9.487	0.471	10.201	0.495	1.075	10.186	0.504	1.074
3	11.339	0.496	12.266	0.543	1.082	12.217	0.541	1.077
4	9.303	0.565	10.112	0.582	1.087	10.159	0.585	1.092

# Discussion

# Conclusion

- Except in very poor statistical situations, both codes performed well at simulating list-mode data
- The results may improve with the use of a new, more detailed NPOD model

# MCNP5 for list-mode data generation

- The list-mode patch was developed specifically for replicating passive subcritical measurements
- It works via a modification of the SOURCE and TALLYX subroutines and does not touch the main structure of the code
- **Internal use only** - not distributed in the RSICC package
- Nubar is hard-coded in the subroutine



# MCNP6 and the use of PTRAC for list-mode data generation

- MCNP6's PTRAC option is not the most ideal method for obtaining list-mode data
  - Cannot run in parallel; cannot do a continue-run
    - Forced parallel processing via pstudy
  - Large output files (GB)
    - Simulation run time is longer (than MCNP5 w/patch)
    - Bunch of irrelevant data to sift through
    - Keywords are important in reducing output file size
  - File must be written in binary

However, we have been able to prove that MCNP6 is indeed capable of providing accurate list-mode data

- This work, along with the development of the mcnpools package, has allowed for the use of MCNP6 for benchmark-quality subcritical calculations
- A benchmark study is currently underway, led by Benoit Richard, utilizing MCNP6's capabilities
- Benoit will be presenting details of a recently completed benchmark study at 2:15pm today during the Nuclear Criticality Safety III session in Grand Ballroom South A

# Acknowledgements

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# Thanks!